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NUCLEATION: BASIC THEORY WITH APPLICATIONS
Butterworth-Heinemann, Oxford, 2000

MOST IMPORTANT TYPOGRAPHIC ERRORS

Page; line	Printed	Correct
xix; 9 (bottom)	parameter of	Ω parameter of
3; 9 (bottom)	$- P(V)dV$	$-\int P(V)dV$
10; 16 (top)	$(8/3)T'$	$\approx (8/3)T'$
15; 2 (top)	circular contour	dashed line
35; 8 (bottom)	$+\sigma^2 - \sigma_i^2$	$-\sigma^2 + \sigma_i^2$
54; eq. (4.39)	8	4
58; eq. (5.2)	$n^*\Delta\mu$	$n^*(\Delta\mu - a_{ef}\Delta\sigma)$
59; 11 (bottom)	eqs	eq.
60; eq. (5.10)	$-\rho^*_{\text{new}}$	ρ^*_{new}
60; eq. (5.12)	ρ^*_{ads}	n^*_{ads}
62; 5 (bottom)	hatched	shaded
67; eq. (5.46)	Δs^*	ΔS^*
71; 4 (bottom)	μ_n	$\mu_{\text{new},n}$
91; 11 (bottom)	10^6	10^{16}
98; 4 (bottom)	$\rho(\mathbf{r})d\mathbf{r}$	$\int \rho(\mathbf{r})d\mathbf{r}$
99; eq. (8.8)	$(f\rho)$	$(f\rho)$
102; 8 (bottom)	$- P(V)dV$	$-\int P(V)dV$
105; 9 (top)	derivative	derivatives
120; eq. (9.6)	$\sum_{m=m'+1}^{M(t)} \sum_{m=m'}^n [f_{m'm}(t) Z_n(t)]$	$\sum_{m=n+1}^{M(t)} \sum_{m'=1}^n [f_{m'm}(t) Z_{m'}(t)]$
120; 9 (top)	$[f_{m'm}(t) Z_m(t) - f_{mm}(t) Z_m(t)]$	$[f_{m'm}(t) Z_{m'}(t) - f_{mm'}(t) Z_m(t)]$

144; 12 (top)	low	law
177; 3 (bottom)	sections	chapters
177; 9 (bottom)	knew	know
183; 9 (bottom)	Chapters	Chapter
186; eq. (13.11)	$-f_{n-1}$	$-f_{n+1}$
194; eq. (13.37)	$(kT)^{1/2}$	$(\pi kT)^{1/2}$
214; 6 (bottom)	bases	basis
231; 11 (bottom)	section	chapter
239; 7 (top)	$c_k \int C(n)a_k^2(n)dn$	$c_k \int C(n)a_k^2(n)dn$
260; 5 (top)	$t =$	$t = \infty$
269; 10 (top)	summand the	summand in the
Ch. 17 (everywhere)	Ω^2	Ω^2
Ch. 17 (everywhere)	$ \Omega $	$ \Omega $
281; eq. (17.8)	$\Omega^2 Y_{qs}(n)$	$\Omega^2 Y_{qs}(n)$
281; eq. (17.10)	$\Omega^2(t)$	$\Omega^2(t)$
281; 23 (top)	$= 0$	$\Omega = 0$
282; eq. (17.12)	$\cos[(n - n_1)]$	$\cos[\Omega(n - n_1)]$
282; eq. (17.12)	$\sin[(n - n_1)]$	$\sin[\Omega(n - n_1)]$
282; eq. (17.12)	$[\cos(\Delta^*)/\sin(\Delta^*)]$	$[\cos(\Omega \Delta^*)/\sin(\Omega \Delta^*)]$
282; 8 (top)	$= i \Omega $	$\Omega = i \Omega $
282; 8 (top)	$\cos(i \Omega x) = \cosh(\Omega x)$	$\cos(i \Omega x) = \cosh(\Omega x)$
282; 8 (top)	$\sin(i \Omega x) = i \sinh(\Omega x)$	$\sin(i \Omega x) = i \sinh(\Omega x)$
282; eq. (17.14)	$\cos[(t)\Delta^*(t)/2]$	$\cos[\Omega(t)\Delta^*(t)/2]$
282; eq. (17.15)	$\Omega^2(t)$	$\Omega^2(t)$
282; 1 (bottom)	(then $\Omega = 0$)	(then $\Omega = 0$)
283; eq. (17.18)	$C^*(t) \Omega(t)/2 \sin[(t)\Delta^*(t)/2]$	$C^*(t)\Omega(t)/2 \sin[\Omega(t)\Delta^*(t)/2]$
283; eq. (17.19)	$\Omega^2(t)$	$\Omega^2(t)$
283; eq. (17.20)	$\Omega^2(t)$	$\Omega^2(t)$

283; 10 (bottom)	$ \Omega^2(t) $	$ \Omega^2(t) $
294; eq. (18.8)	$R^2 - R_s^3$	$R^2 - R_s^2$
303; 8 (top)	that the	that
318; 17 (bottom)	ε_c	ε_m
361; 2 & 3 (bottom)	$n^*\chi =$	$n^*\chi = \infty$
365; 6 (bottom)	the formula for θ .	the formula (15.111) for θ .
366; 17 (top)	section	chapter
376; eq. (26.9)	$\int_0^\infty t d\alpha(t)$	$\int_0^1 t d\alpha(t)$
379; eq. (26.22)	J_s	$J_s V$
384; 16 (bottom)	\int_0^∞	\int_0^1
385; eq. (26.41)	$\pi^2\tau/4\tau$	$\pi^2\tau/4t$
386; 10 (top)	1973	1973a
394; 20 (bottom)	0.007	≈ 0.007
397; eq. (27.17)	$(v_{st})^b$	$(v_s t)^v$
413; 3 (bottom)	many)	many) of
419; 3 (bottom)	$R \gg \lambda_1$	$R \ll \lambda_1$
425; everywhere		
in eq. (29.60)	$2v$	$6v$
425; everywhere		
in eq. (29.61)	$6v$	$2v$
473; eq. (34.13)	q_i	q_1
473; eq. (34.14)	q_i	q_1
501; 9 (top)	, in press.	71 , 1695.
517; 3 (top)	472	478
519; 25 (top)	137	437
519; 20 (bottom)	278	270
520; 21 (top)	484	481
521; 6 (bottom)	287	286

521; 10 (bottom)	262	265
523; 9 (bottom)	142	42
523; 11 (bottom)	131	231
525; 5 (top)	221	219-221
526; 1 (bottom)	224, 227	224-227